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# Homeostasis at different backgrounds: The roles of overlayed feedback structures in vertebrate photoadaptation

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## Supporting Information S6 Text

### Experimental light adaptation data

To see whether the model's response on pulse perturbations (Fig 15) describe qualitatively experimental results, we have taken experimental *threshold versus background radiance* data by Wyzecki and Stiles (Fig 2(7.4.1) and Fig 3(7.4.1) in Ref. [1]) and reanalyzed these data in terms of a Stephens' based power-law of the form

$$N_{\lambda} = \alpha \cdot M_{\mu}^n + N_{\lambda,0} \quad (\text{S1})$$

$N_{\lambda}$  is the threshold light intensity (radiance) at wavelength  $\lambda$ , and  $M_{\mu}$  is the background light intensity at wavelength  $\mu$ .  $\alpha$ ,  $n$ , and  $N_{\lambda,0}$  are adjustable parameters.

### Data extraction and fitting procedure

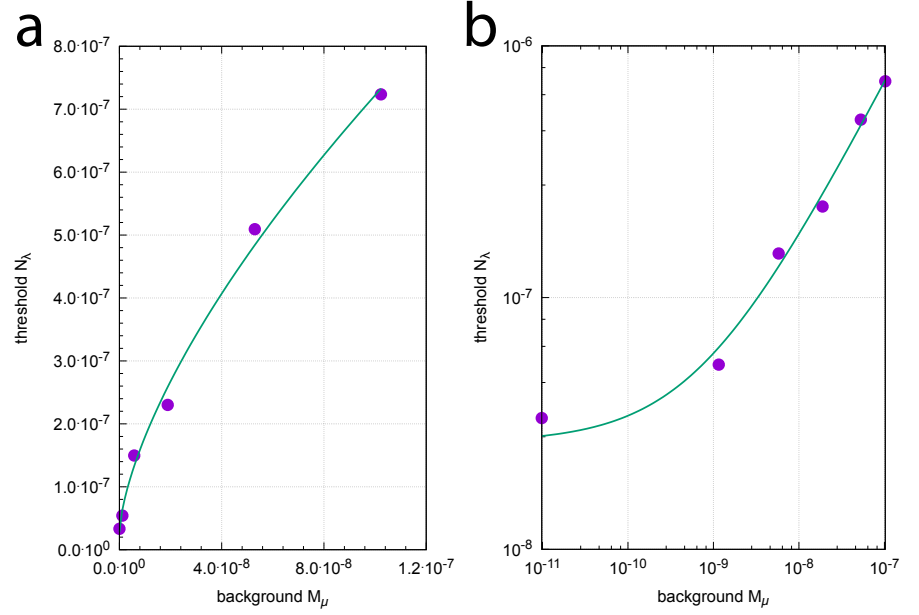
The experimental data were extracted from Fig 2(7.4.1) and Fig 3(7.4.1) in Ref. [1] by using **GraphClick for Mac** (<https://graphclick.en.softonic.com/mac>). Eq S1 was fitted to the experimental data by **gnuplot**'s fit function, which is based on the Levenberg-Marquardt algorithm (see gnuplot documentation at <http://www.gnuplot.info/>). To redo these fits by the reader, we have provided **Perl** scripts (<https://www.perl.org/>) together with the extracted experimental data. Please, see the description below on how to run the scripts.

### Rod and cone branches

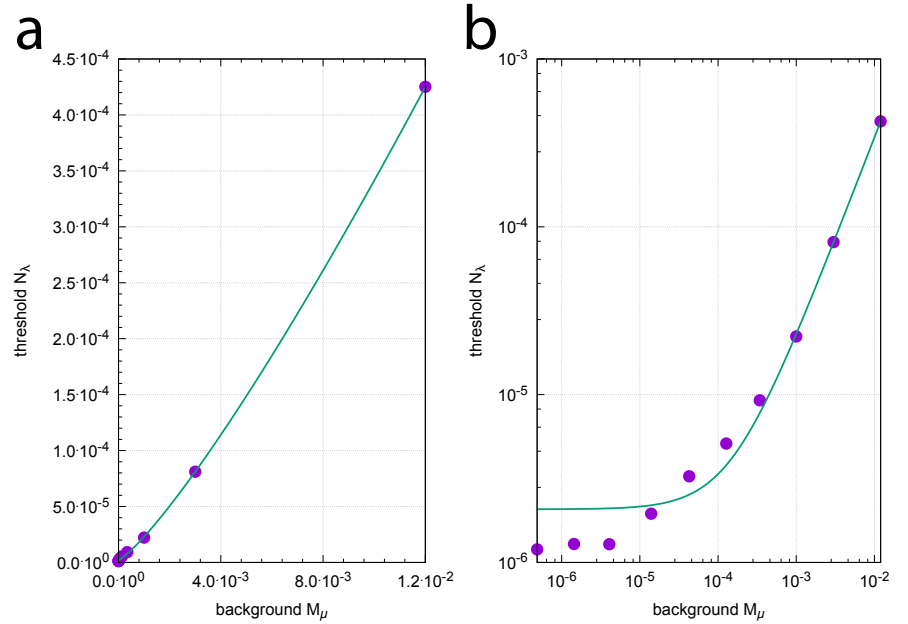
Figs S1 and S2 show the replotted data from Fig 2(7.4.1) of Ref. [1] together with the fit by Eq S1 (green lines). Fig S1a shows that rods at low background intensities are better described by Stephens' power-law model with  $n$  around 0.66 than by Weber's law, which would require a  $n$  of 1.

On the other hand, at higher background intensities, the cone branch comes closer to a linear description by Weber's law with a  $n$  of about 1.21.

This is qualitatively in accordance with the model findings (Fig 15), which at low intensities show a  $n$  of 0.8, while at higher intensities  $n$  is close to one (1.01).



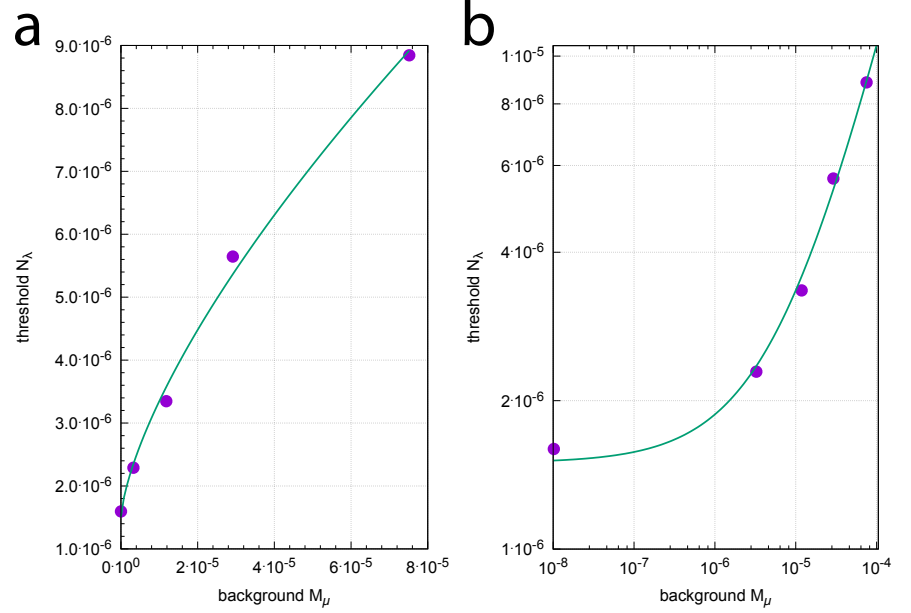
**Fig S1.**  $5^\circ$  parafoveal light adaptation of the retina's rod branch for  $\lambda=580$  nm and  $\mu=500$  nm (replotted from Fig 2(7.4.1) of Ref. [1]). Panels a and b show the same fit, but with linear or log-log axes, respectively. The parameter values with asymptotic standard errors are:  $\alpha=0.0284193 \pm 0.03201$ ,  $n=0.658764 \pm 0.07072$ , and  $N_{\lambda,0} = 2.66026 \times 10^{-08} \pm 2.132 \times 10^{-08}$ .



**Fig S2.**  $5^\circ$  parafoveal light adaptation of the retina's cone branch for  $\lambda=580$  nm and  $\mu=500$  nm (replotted from Fig 2(7.4.1) of Ref. [1]). Panels a and b show the same fit, but with linear or log-log axes, respectively. The parameter values with asymptotic standard errors are:  $\alpha=0.0893037 \pm 0.003747$ ,  $n=1.21017 \pm 0.0095$ , and  $N_{\lambda,0} = 2.07317 \times 10^{-06} \pm 3.924 \times 10^{-07}$ .

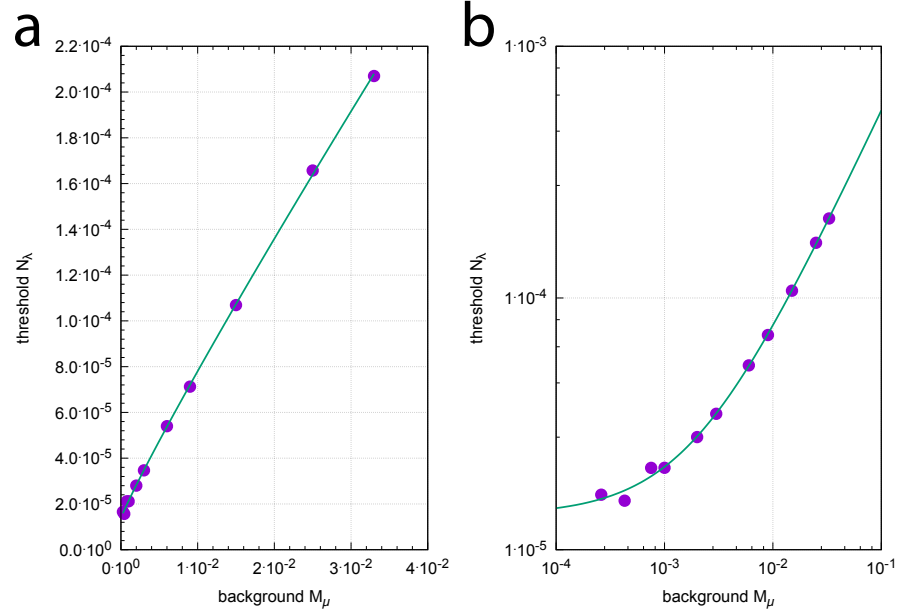
## Green and blue sensitive cone branches

Figs S3 and S4 show the replots of Fig 3(7.4.1) [1] for the foveal green-sensitive and blue-sensitive cone mechanisms, respectively.



**Fig S3.** Foveal green cone sensitive threshold versus background data at  $\lambda=475$  nm and  $\mu=550$  nm. Panels a and b show the same fit to Eq S1 (green lines), but with linear or log-log axes, respectively. The parameter values with asymptotic standard errors are:  $\alpha=0.00512025 \pm 0.003573$ ,  $n=0.688351 \pm 0.07469$ , and  $N_{\lambda,0} = 1.49602 \times 10^{-06} \pm 2.562 \times 10^{-07}$ .

Also in this case low background intensities show a green cone adaptation behavior towards Stephens' power-law with  $n$  around 0.69, while at higher intensities the blue cone adaptation is closer to Weber's linear law with  $n$  at about 0.93.



**Fig S4.** Foveal blue cone sensitive threshold versus background data at  $\lambda=475$  nm and  $\mu=550$  nm. Panels a and b show the same fit to Eq S1 (green lines), but with linear or log-log axes, respectively. The parameter values with asymptotic standard errors are:  $\alpha=0.00457834 \pm 0.0002134$ ,  $n=0.926321 \pm 0.01364$ , and  $N_{\lambda,0} = 1.37232 \times 10^{-05} \pm 6.961 \times 10^{-07}$ .

## How to run the scripts

The supporting information contains the two folders **rod\_cones** and **green\_blue**. In these folders the extracted numerical data are found in the files with extension **.txt**.

The files with extension **.pl** contain the Perl scripts, while the files with extension **.log** contain information about the fit, i.e. the optimized parameter values together with their asymptotic standard errors.

The **pdf** files show the generated plots containing the experimental data and the fitted function.

To run the Perl scripts navigate the Terminal (Mac/Linux/Unix computers) or the Command Prompt (Cmd, Windows computers) to one of the folders and write (for example using the blue branch data inside the folder **green\_blue**):

```
perl fit_blue.pl
```

and press the RETURN key.

You will see the iterations from gnuplot's fit function in the Terminal/Cmd and the generation of a new log file **fit.log** for this fit. The related **pdf** file, here **graph\_blue\_log.pdf** (log-log plot) or **graph\_blue\_lin.pdf** (linear plot) will be overwritten.

To generate a logarithmic plot uncomment (i.e. remove the **#** signs) inside the Perl

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script in front of the lines:

```
# set log x  
# set log y
```

Also, change the line:

```
set output 'graph_blue_lin.pdf'  
to  
set output 'graph_blue_log.pdf'
```

or to some other file name for the logarithmic plots.

To create linear plots comment out the lines `set log x` and `set log y`, i.e., setting a `#` sign in front of these lines, change the file name of the graph by the `'set output'` command and re-run the Perl script.

## References

1. Wyszecki G, Stiles WS. Color Science. Second edition. Wiley New York; 1982.